Errata to *Gorenstein Dimensions*
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Careful readers have found the following errors and misprints in the book.

Page 1, first line after chapter title. Remove the superfluous "Introduction".

Page 49–50; (2.2.4) lines 3–12. Replace the text "the diagram ... (2.1.13), it follows" with "consider the exact sequence $0 \to K_n \to G_{n-1} \to \cdots \to G_0 \to M \to 0$, where K_n is as defined in (1.2.5.1). It follows".

Page 53; proof of (2.3.5) line 1. Change $\mathcal{C}_{\sqsupset}^{\mathrm{P}}(R)$ to $\mathcal{C}_{\sqsupset}^{\mathrm{fP}}(R)$.

Page 97, (4.2.4) line 1. Add the sentence "Let R be of finite Krull dimension, $\dim R < \infty$."

Page 98, (4.2.5) line 1. Add the sentence "Let R be of finite Krull dimension, $\dim R < \infty$."

Page 98, line 3 from page bottom. A comment is required on the use of Proposition (4.2.5): Here we do not assume that $\dim R < \infty$, but that poses no problem. The test module in question, R, is projective, and the assumption $\dim R < \infty$ is only used in (4.2.5) to ensure that the test modules $T \in \mathcal{F}_0(R)$ have finite projective dimension, cf. proof of Lemma (4.2.4).

Page 114; (5.1.4) line 1. Add the sentence "Let R be of finite Krull dimension, $\dim R < \infty$."

Page 118–119; proof of (5.1.10). In line 1, add the sentence "Clearly (*ii*) is stronger than (*i*)."
In line 2, change "so (*i*) implies (*ii*)" to "so (*i*) and (*ii*) are equivalent".
In line 2-4, remove "By Proposition (5.1.4) ... so (*ii*) implies (*iii*)."
At the end of the proof, change "This concludes the proof." to "The same isomorphisms show that if $\mathrm{Hom}_R(L, R)$ is homologically trivial, then $E \otimes_R L$ is homologically trivial for any injective module E, and this concludes the proof."

Page 150; (6.3.7) line 2. Change "For any R–module N it then ..." to "For any R–module N with $\mathfrak{m} \in \mathrm{supp}_R N$ it then ...".