How do I find the area between curves? Ho

3. Write the integrand by identifying...

How do I find the volume of a region using cross sections? Volume by cross sections follows the same steps as finding area, but the integrand is an area formula instead of a length.

How do I find the volume of a region rotated around an axis? There are three options: disks, washers, and shells. If the question leaves the method up to you, you must determine if the region is vertically or horizontally simple and compare the region to the axis of revolution.

	Vertically	Horizontally
	Simple	Simple
Vertical		
Axis of		
Revolution		
Horizontal		
Axis of		
Revolution		

4. Write the bounds using...

(a)

(a)

(b)

(b)

5.

Below, we list the formulas on area and volume that you may be asked to know and use:

	Vertically Simple	Horizontally Simple
Area of a Region	$\int_{\text{left}}^{\text{right}} (\text{top} - \text{bottom}) dx$	$\int_{\text{bottom}}^{\text{top}} (\text{right} - \text{left}) dy$
Volume by Cross Sections	$\int_{\text{left}}^{\text{right}} A(x) dx$	$\int_{ m bottom}^{ m top} A(y) dy$
square:	$A(x) = (\text{top} - \text{bottom})^2$	$A(y) = (\text{right} - \text{left})^2$
semicircle:	$A(x) = \frac{\pi}{8}(\text{top} - \text{bottom})^2$	$A(y) = \frac{\pi}{8} (\text{right} - \text{left})^2$
equilateral triangle:	$A(x) = \frac{\sqrt{3}}{4} (\text{top} - \text{bottom})^2$	$A(y) = \frac{\sqrt{3}}{4} (\text{right} - \text{left})^2$
circle:	$A(x) = \frac{\pi}{4}(\text{top} - \text{bottom})^2$	$A(y) = \frac{\pi}{4} (\text{right} - \text{left})^2$
Volume by Revolution	$\int_{ m left}^{ m right} A(x) dx$	$\int_{ m bottom}^{ m top} A(y) dy$
disks:	$A(x) = \pi(f(x))^2$	$A(y) = \pi(f(y))^2$
shells:	$A(x) = 2\pi x (\text{top} - \text{bottom})$	$A(y) = 2\pi y (\text{right} - \text{left})$
washers:	$A(x) = \pi (R^2 - r^2)$	$A(y) = \pi (R^2 - r^2)$

1.

2.